

2P Electronic Configuration $\Rightarrow$ Free ion terms $3P, ^1D, ^1S$

① Hund's Rule $\Rightarrow$ Maximal multiplicity $\Rightarrow$ lowest energies

$$\begin{array}{c} 2p \uparrow \uparrow - \\ 2s \uparrow\downarrow \\ 1s \uparrow\downarrow \end{array} \left. \vphantom{\begin{array}{c} 2p \\ 2s \\ 1s \end{array}} \right\} \text{lowest energy config for } p^2 \quad \therefore {}^3P \text{ is lowest energy term since it has highest multiplicity.}$$

② If 2 or more term symbols share the maximal multiplicity, the lower energy term will have a larger value of L

$$\begin{array}{cc} {}^4F & \text{is lower in energy than } {}^4P \\ L=3 & L=1 \end{array}$$

Multielectron systems Spin + Angular orbital momenta can interact...

$\hookrightarrow$ Spin-Orbit Coupling ($L \times S$ interacts to give a new QN $\Rightarrow J$)

$^{(2S+1)}L_J \quad J = L+S, L+(S-1), L+(S-2) \dots L-S$

$$\begin{array}{lcl} p^2 & \begin{array}{c} {}^1S \text{ --- } \dots \text{ --- } {}^1S_0 \\ {}^1D \text{ --- } \dots \text{ --- } {}^1D_2 \\ \phantom{{}^1D} \phantom{\text{---}} \phantom{\text{---}} {}^3P_2 \\ {}^3P \text{ --- } \swarrow \searrow \text{ --- } {}^3P_1 \\ \phantom{{}^3P} \phantom{\text{---}} \phantom{\text{---}} {}^3P_0 \end{array} & \begin{array}{l} {}^1S \quad L=0; S=0 \therefore J=0 \\ {}^1D \quad L=2; S=0 \therefore J=2 \\ {}^3P \quad L=1; S=1 \therefore J=2,1,0 \end{array} \end{array}$$

when valence set is less than half filled, the low J will be lowest in Energy
 " " " is half or greater filled, the low J would be highest " "

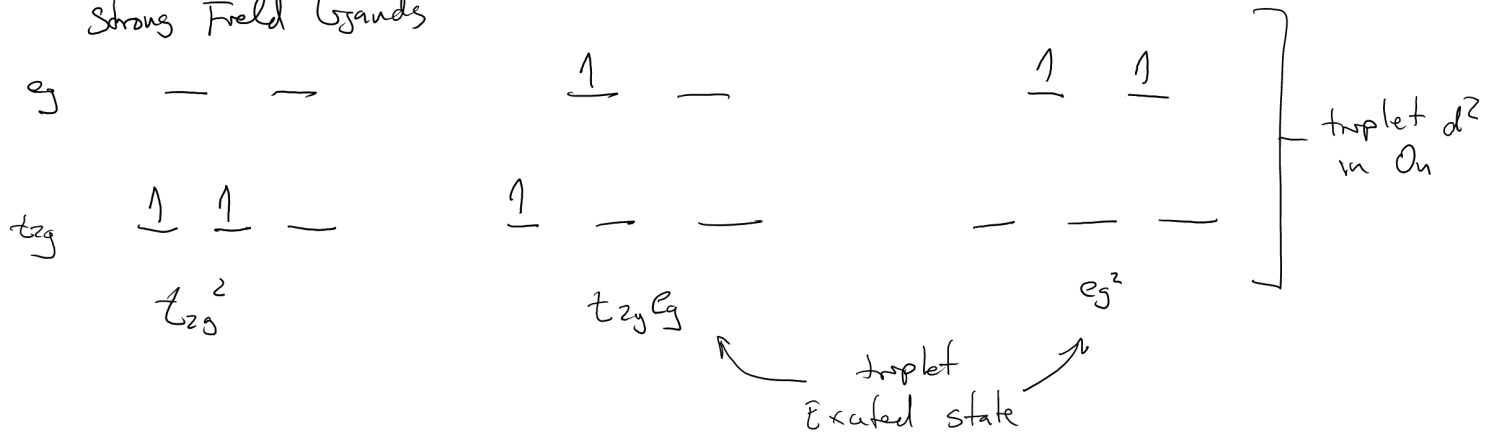
3d 13 Free ion term

$$V^{3+} \Rightarrow d^2 \Rightarrow {}^3F, {}^3P, {}^1G, {}^1D, {}^1S$$

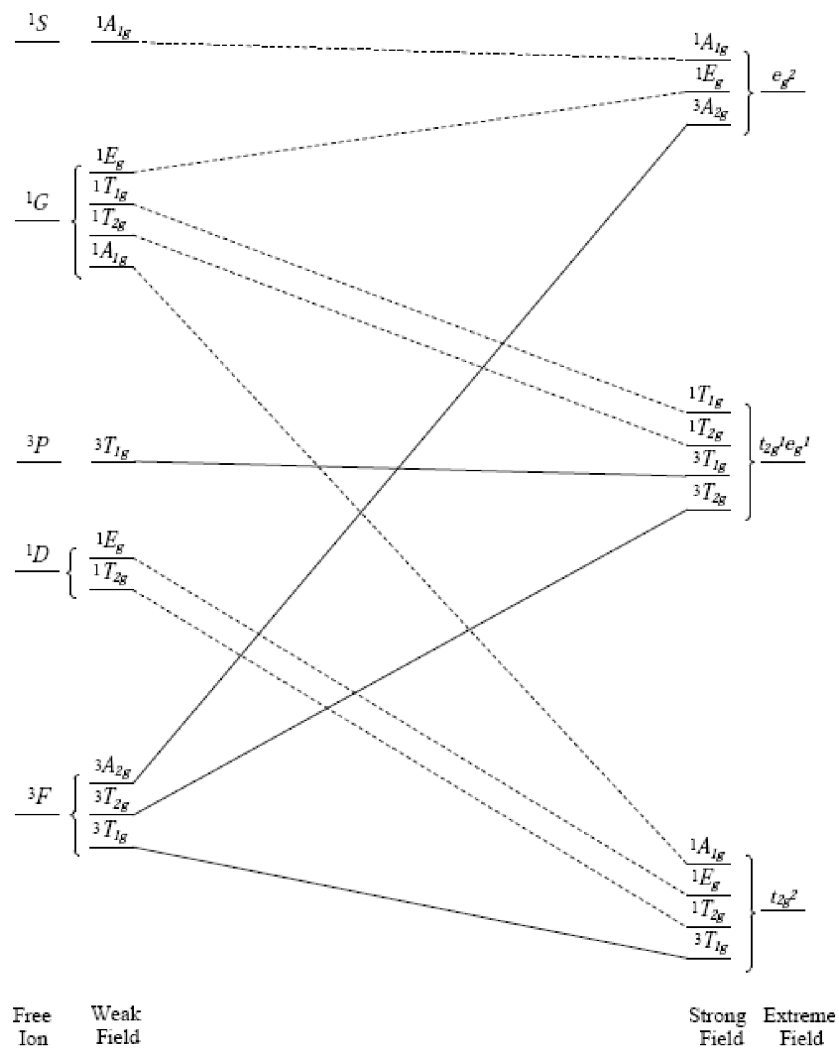
Free Ion Config $\rightarrow$ (No ligand field)

$\uparrow \uparrow _ _ _$ 5 degenerate d-orbitals.

Strong Field ligands



d^2 Correlation Diagram



Selection Rules

① Laporte Selection Rule.

transitions between states of the same parity are forbidden

$(g) \not\rightarrow (g)$ is not allowed...

$(g) \rightarrow (u)$ is allowed

transitions between d-orbitals are technically forbidden
" " d + p-orbitals would be allowed

② Transition between states of different multiplicities are forbidden

${}^4A_2 \rightarrow {}^4T_1$ (allowed)

$\searrow \times \rightarrow {}^2A_2$ (Forbidden)

Mechanisms for Relaxation of Selection Rules:

① Vibronic Coupling - Bond stretches + bends can eliminate an inversion center + allow for the electronic transition to take place

d-d transitions: $\epsilon \sim 10 - 200 \text{ cm}^2 \text{ mol}^{-1}$

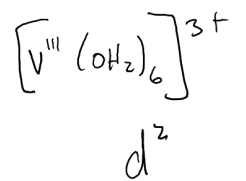
② Spin-Orbit Coupling - Mixing of L+S can relax the multiplicity constraint.

$Z \gg 30$ (2nd + 3rd Row TM ions)

Tanabe-Sugano Diagrams - a special type of correlation diagram

Developed by Tanabe + Sugano in 1954 (J. Phys. Soc. Japan 1954, 9, 766)

TS-Diagram for d^2

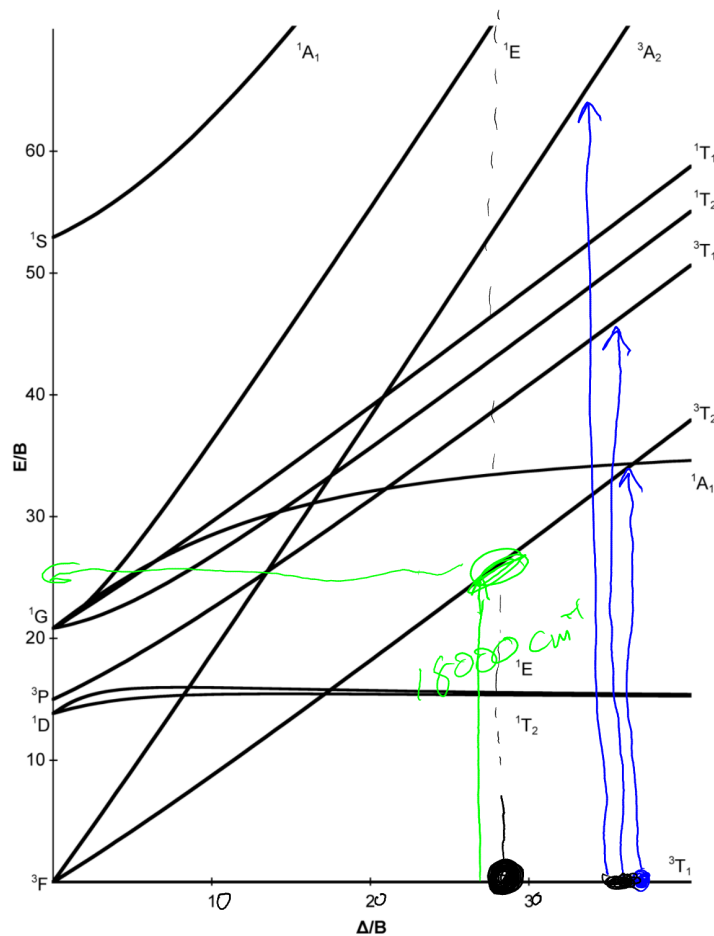


3 spin allowed
Transitions

- $\nu_1 \quad 3T_{1g} \rightarrow 3T_{2g} \quad (17800 \text{ cm}^{-1})$
- $\nu_2 \quad 3T_{1g} \rightarrow 3T_{1g} \quad (25700 \text{ cm}^{-1})$
- $\nu_3 \quad 3T_{1g} \rightarrow 3A_{2g} \quad (38000 \text{ cm}^{-1})$

Energy ↑

- $\nu_1 = 17800 \rightarrow 1$
- $\nu_2 = 25700 \rightarrow 1.46$
- $\nu_3 = 38000 \rightarrow 2.13$



Strong Field

Δ/B

Weak Field

Δ = Field Strength
 B = Racah Parameter

For $[V(OH_2)_6]^{3+} \quad \Delta/B = 30 \quad B \approx 600 \text{ cm}^{-1}$

$\nu_1 = 18000 \text{ cm}^{-1} \Rightarrow \frac{E}{B} \text{ of } 30$
III
E

$$18000/B = 30 \therefore B = 600 \text{ cm}^{-1}$$